

# An Efficient Piezoelectric Energy Harvesting Interface Circuit Using a Sense-and-Set Rectifier

Yimai Peng<sup>1</sup>, Student Member, IEEE, Kyojin D. Choo<sup>2</sup>, Member, IEEE, Sechang Oh<sup>2</sup>, Member, IEEE, Inhee Lee<sup>2</sup>, Member, IEEE, Taekwang Jang, Student Member, IEEE, Yejoong Kim<sup>2</sup>, Member, IEEE, Jongyup Lim<sup>2</sup>, Student Member, IEEE, David Blaauw<sup>2</sup>, Fellow, IEEE, and Dennis Sylvester<sup>2</sup>, Fellow, IEEE

**Abstract**—Piezoelectric energy harvesters (PEHs) are widely deployed in many self-sustaining systems, and proper rectifier circuits can significantly improve the energy conversion efficiency and, thus, increase the harvested energy. Various active rectifiers have been proposed in the past decade, such as synchronized switch harvesting on inductor (SSHI) and synchronous electric charge extraction (SECE). This article presents a sense-and-set (SaS) rectifier that achieves maximum-power-point-tracking (MPPT) of PEHs and maintains optimal energy extraction for different input excitation levels and output voltages. The proposed circuit is fabricated in the 0.18- $\mu\text{m}$  CMOS process with a 0.47-mm<sup>2</sup> core area, a 230-nW active power, and a 7-nW leakage power. Measured with a commercial PEH device (Mide PPA-1022) at 85- and 60-Hz vibration frequency, the proposed circuit shows 512% and 541% power extraction improvement [figure of merit (FoM)] compared with an ideal full-bridge rectifier (FBR) for ON-resonance and OFF-resonance vibrations, respectively, while maintaining high efficiency across different input levels and PEH parameters.

**Index Terms**—DC-DC converter, maximum-power-point-tracking (MPPT), piezoelectric energy harvesting (PEH), rectifier.

## I. INTRODUCTION

ENERGY harvesting from ambient sources has drawn much interest in recent decades as it can provide power for energy-autonomous systems or significantly extend the lifetime for battery-powered systems. Among various energy harvesting techniques, the use of piezoelectric materials to harvest energy from mechanical vibration has become popular due to its high power density and good sustainability. A piezoelectric energy harvester (PEH) converts mechanical strain into electrical charge by means of the direct piezoelectric effect [1], and the charge can be extracted to generate ac power (usually in the nW–mW range), which can be applied to the electrical load. The output power of a given PEH can be

optimized in terms of these two processes. On the one hand, the efficiency of the electromechanical energy conversion is optimized when the PEH is precisely vibrated at its resonant frequency, matching the natural characteristics of its mass-spring-damping system. This is rarely achieved in practical applications since most ambient vibration sources have a relatively unstable, broadband frequency spectrum [2]. Hence, some prior works have aimed to improve the bandwidth energy conversion, although with limited success [3], [4]. On the other hand, the design of interface circuits that perform impedance matching or maximum-power-point-tracking (MPPT) can significantly improve the charge extraction efficiency and, thus, increase the output power of the PEH. Most of the circuit techniques discussed in this article aim to improve the efficiency of this process rather than control the electromechanical conversion.

Among various interface circuits, full-bridge rectifiers (FBRs) are the most commonly used for their simplicity and stability [5], [6]. However, their power efficiencies are usually low since most of the PEH-generated charges are not extracted but remain within the large intrinsic capacitors of the PEHs. Several different techniques have been proposed to help with energy extraction from PEHs. The bias-flip (BF) technique, proposed by Ramadass *et al.* [7], manually sets a high bias voltage at the PEH's output in order to extract more energy from a certain charge generated by the PEH. When the charge generation (current) changes the direction with the input vibration oscillation, the bias voltage is flipped. This is performed adiabatically to limit the energy loss of the operation. Prior BF-based works generally achieved the highest power efficiency when compared to other energy extraction techniques, and they can be divided into two categories, synchronized switch harvesting on inductor (SSHI) [8]–[10] and synchronized switch harvesting on capacitor (SSHC) [11]–[13], depending on whether an inductor or a capacitor array is used for the voltage flip. Other charge extraction techniques, such as synchronous electric charge extraction (SECE) [14] and energy pile-up resonant circuit [15], are generally less power efficient than the BF-based circuits but offer other advantages such as being more suitable for non-periodic vibrations.

However, all the above techniques have disadvantages for MPPT while extracting energy from PEHs. Theoretically, SSHI and SSHC can achieve near-MPPT in energy harvesting,

Manuscript received May 3, 2019; revised July 16, 2019 and August 27, 2019; accepted September 20, 2019. Date of publication October 15, 2019; date of current version November 22, 2019. This article was approved by Guest Editor Bernhard Wicht. (Corresponding author: Yimai Peng.)

Y. Peng, K. D. Choo, S. Oh, I. Lee, Y. Kim, J. Lim, D. Blaauw, and D. Sylvester are with the Department of Electrical Engineering and Computer Science, University of Michigan, Ann Arbor, MI 48109 USA (e-mail: pyimai@umich.edu).

T. Jang is with the Department of Information Technology and Electrical Engineering, ETH Zürich, 8092 Zürich, Switzerland.

Color versions of one or more of the figures in this article are available online at <http://ieeexplore.ieee.org>.

Digital Object Identifier 10.1109/JSSC.2019.2945262

0018-9200 © 2019 IEEE. Personal use is permitted, but republication/redistribution requires IEEE permission.

See [http://www.ieee.org/publications\\_standards/publications/rights/index.html](http://www.ieee.org/publications_standards/publications/rights/index.html) for more information.

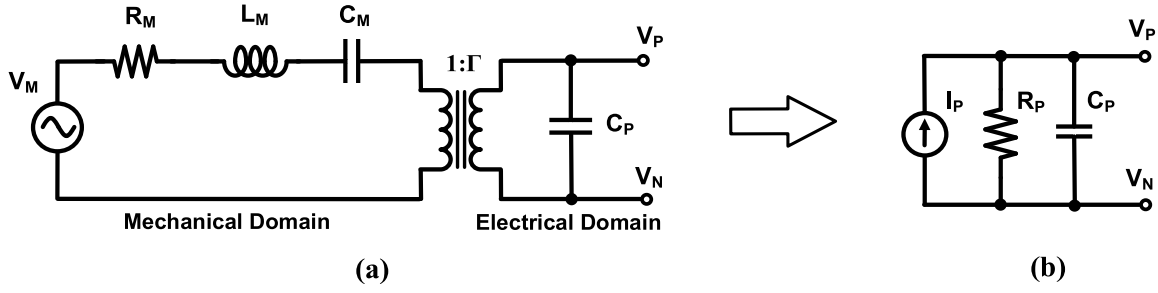


Fig. 1. Modeling of the piezoelectric transducer. (a) Complete model with the electromechanical coupling. (b) Simplified model on the resonant frequency.

but they usually do not adapt to various input-vibration types (periodic or shock) and amplitudes, which decreases their power efficiencies in practical applications. SECE automatically adapts to different vibration amplitudes, but its efficiency is significantly degraded by the large intrinsic capacitor  $C_P$ , and it generates unregulated output voltage for non-periodic vibrations.

In this article, we present a sense-and-set (SaS) interface circuit for PEHs, which is fundamentally different from prior techniques and achieves MPPT for arbitrary input vibrations. The proposed SaS technique has the following advantages over prior art.

- 1) SaS dynamically senses the PEH's charge generation and sets the harvesting voltage accordingly. The power efficiency of SaS is, thus, adjusted to approach the theoretical limit.
- 2) SaS maintains MPPT for different vibration types, strengths/amplitudes, and PEH characteristic parameters without the need to manually tune the circuit for each condition.
- 3) SaS produces rectified output voltage without an additional passive rectifier, which eliminates the conduct loss (voltage drop) associated with the rectifier diode and improves the efficiency, especially for low-amplitude vibration (low-voltage) applications.
- 4) SaS de-couples the output node from the input so that a fixed output voltage does not interfere with the MPPT. In previous techniques,  $V_{OUT}$  needs to change with the vibration strength to achieve high-power efficiency which clearly cannot be performed dynamically.

The remainder of this article is organized as follows. Section II presents the background of the PEH model and interface circuit approaches. The operation principle and implementation of the proposed SaS circuit are described in Sections III and IV, respectively. Section V shows the measurement results and analysis, while the conclusion is drawn in Section VI.

## II. PEH MODEL AND INTERFACE CIRCUITS

### A. Modeling of Piezoelectric Transducers

The PEH or piezoelectric transducer generates electrical charges when the piezoelectric material is compressed or deflected by mechanical stress derived from external vibrations. It can be modeled as an electromechanical system, as shown in Fig. 1(a). The left part of the model illustrates

the mechanical structure of the PEH, in which  $R_M$ ,  $L_M$ , and  $C_M$  are the equivalent circuit components for the mass-spring-damping system of the piezoelectric layer. With the electromechanical coupling factor  $\Gamma$ , power generated at the mechanical side is transformed to the electrical side and stored in the PEH intrinsic capacitor  $C_P$ . When the PEH is excited at or close to its resonant frequency,  $L_M$  and  $C_M$  are cancelled out, and the model can be simplified into a model without the transformer, as shown in Fig. 1(b), where

$$I_P = \frac{V_M}{\Gamma R_M} \quad (1)$$

$$R_P = \Gamma R_M^2. \quad (2)$$

$I_P$  defines the charges generated by the PEH in a certain time, and  $R_P$  is the equivalent loss in the electromechanical conversion. According to the theory of the maximum power transfer, the load receives the maximum power

$$P_{\max} = \frac{1}{4} I_P^2 R_P \quad (3)$$

from the current source when

$$V_P = V_{MPP} = \frac{1}{2} I_P R_P. \quad (4)$$

However, the impedance of  $C_P$  is usually much smaller than  $R_P$  at the vibration frequency  $f$  (or  $\omega$ ). As a result, the  $V_P$  amplitude is much smaller than  $V_{MPP}$  even for the open-circuit condition

$$V_{P-OC} = I_P (R_P || X_{C_P}) = \frac{I_P}{\omega C_P}. \quad (5)$$

Since  $1/\omega C_P \ll R_P$ ,  $V_{P-OC} \ll V_{MPP}$ . For the same  $I_P$  generated by the vibration, the low  $V_P$  value limits the power efficiency. Furthermore,  $V_P$  will be affected by the impedance-match condition between the PEH and interface circuits. The ideal interface circuit that delivers  $P_{\max}$  to the load should achieve complete impedance matching to the PEH, where the load impedance  $X_L = R_L + \omega L_L$  is given by

$$R_L = R_P, \quad \omega L_L = \frac{1}{\omega C_P}. \quad (6)$$

However, the required  $L_L$  value is usually hundreds of Henries, which is impractical for system-on-chip (SoC) or even on-board systems. Thus, prior interface circuit designs tend to achieve better impedance match by placing  $V_P$  to be near  $V_{MPP}$ , which counteracts the negative effect of  $C_P$ . The following paragraphs will continue this discussion in more detail.

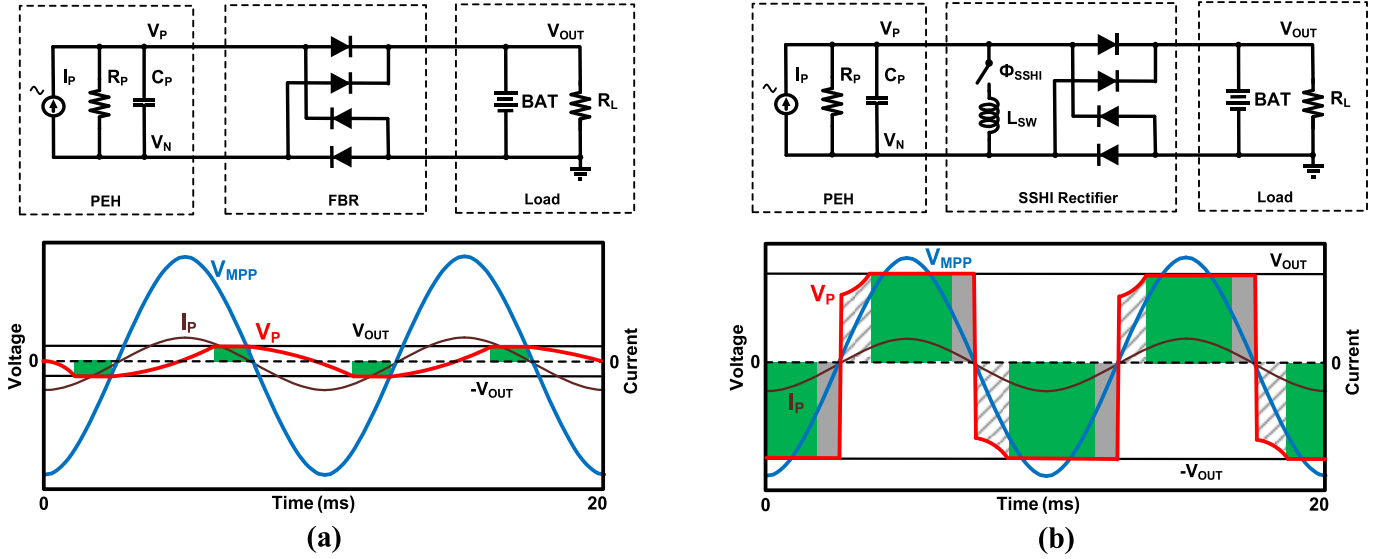


Fig. 2. Schematic and waveform for PEH through (a) FBR and (b) SSHI rectifier.

### B. Full-Bridge Rectifier

The FBR is the most widely used interface circuit that allows energy harvesting from PEHs. As shown in Fig. 2(a), the PEH current  $I_P$  first charges  $C_P$  until  $V_P$  reaches  $V_{OUT}$ . Then, all of  $I_P$  will flow through the FBR diodes to the load (represented by the green region) except for the loss by  $R_P$ . When  $I_P$  changes the direction with the input vibration, it must first discharge  $C_P$  to 0 and then repeat the voltage build-up process in the other direction. During the charge–discharge operation, no power is transferred through the rectifier.

In FBR circuits, the output voltage  $V_{OUT}$  must be between 0 and  $V_{P-OC}$  in order to harvest energy from the PEH. Assuming ideal diodes (with no voltage drop) are used, the FBR delivers the maximum output power when  $V_{OUT}$  is equal to half of  $V_{P-OC}$ , according to [7]

$$P_{\max-FBR} = f C_P V_{P-OC}^2 = \frac{I_P^2}{2\pi\omega C_P}. \quad (7)$$

Comparing this to the theoretical maximum power, we get

$$\frac{P_{\max-FBR}}{P_{\max}} = \frac{2}{\pi} \frac{1}{\omega C_P R_P} = \frac{2}{\pi Q_{PEH}} \quad (8)$$

where  $Q_{PEH}$  is the quality factor of the piezoelectric transducer. Since generally  $1/\omega C_P \ll R_P$ , then  $Q_{PEH} \gg 1$  (in the range of 10–100 for most of PEHs), and the maximum output power delivered by an FBR is significantly lower than the theoretical maximum value.

### C. Bias-Flip Rectifiers

One reason for the low-power efficiency of the FBR is that  $V_P$  is limited within  $V_{P-OC}$ , which is far below  $V_{MPP}$ , which is shown as the blue line in Fig. 2(a). For the same PEH current  $I_P$ , this much lower voltage results in the output power degradation. One effective way to improve the efficiency is to manually set a bias voltage (usually higher than  $V_{P-OC}$ ) on  $V_P$  so that the same  $I_P$  produces larger output power. When  $I_P$  changes the direction, the bias voltage is then flipped so that no

energy is lost due to discharging  $C_P$ . The circuits that utilize such a “BF” operation can be divided into two categories, SSHI [7]–[10] and SSHC [11]–[13], depending on whether they use an inductor or a capacitor array for the voltage flip.

Fig. 2(b) shows the schematic and waveform of an SSHI circuit. It still has an FBR for rectifying the output, but it has an additional switch-controlled inductor in parallel.  $V_P$  is set manually to be a fixed high voltage, as demonstrated by the red line.  $I_P$  will flow through the FBR to the load without charging  $C_P$ , as indicated by the green region. When  $I_P$  changes the direction, discharging  $C_P$  is avoided by turning on the switch and shorting the PEH through the inductor  $L_{SW}$ . By precisely controlling the switch’s turn-on period,  $\Phi_{SSHI}$ ,  $V_P$  will be adiabatically flipped to a slightly lower negative value due to the circuit loss during the flip. Then, the inversed current  $I_P$  charges  $V_P$  back to  $V_{OUT}$ , and energy harvesting begins again at this voltage.

From previous discussions, we know that for each interface circuit, the energy extraction from the PEH peaks when  $V_P$  gets closer to  $V_{MPP}$ . In the SSHI circuit, that is, when  $V_P = V_{OUT} = Q_{BF} V_{P-OC}$ , and the maximum power delivered by an SSHI rectifier is

$$P_{\max-SSHI} = 2f C_P V_{P-OC}^2 Q_{BF} = \frac{I_P^2 Q_{BF}}{\pi\omega C_P} \quad (9)$$

where  $Q_{BF}$  is the combination of quality factors of the PEH and the  $C_P L_{SW}$  resonant circuit, and thus, usually  $1 \ll Q_{BF} < Q_{PEH}$ . Again, we compare it to the theoretical maximum power

$$\frac{P_{\max-SSHI}}{P_{\max}} = \frac{4Q_F}{\pi} \frac{1}{\omega C_P R_P} = \frac{4Q_F}{\pi Q_{PEH}}. \quad (10)$$

Although the power efficiency seems to be much better than that of an FBR, SSHI circuits does not achieve MPPT because the square-wave-shaped  $V_P$  does not track the waveform of  $V_{MPP}$ , which is defined by the vibration pattern (normally it will be a sine wave). In addition to the voltage-flip loss, which is shown by the gray dashed region in Fig. 2(b), it also

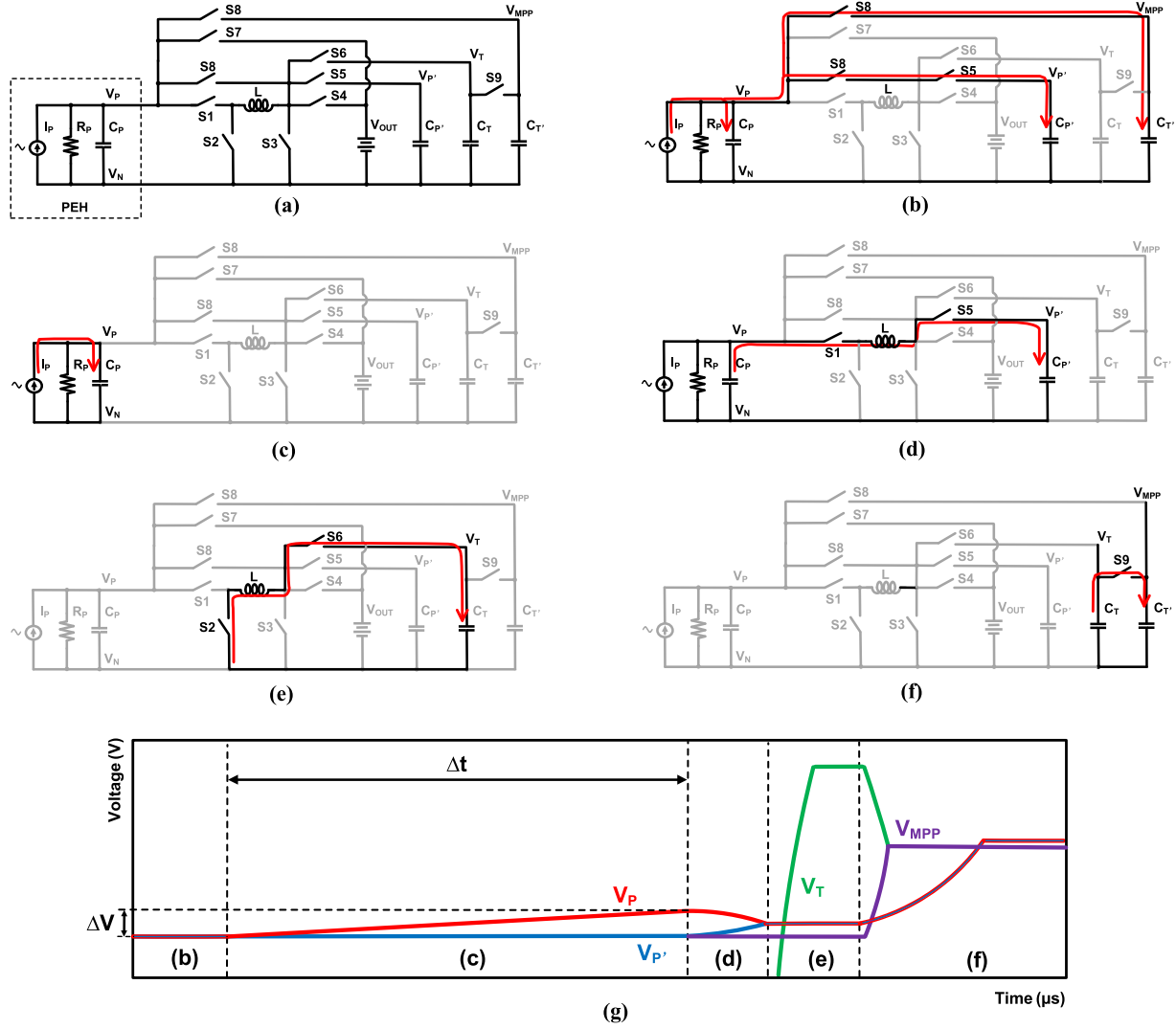


Fig. 3. (a) SaS core circuit where  $C_P = C_{P'}$  and  $C_T = C_{T'}$ . (b) Set initial voltage  $V_P$  on  $C_P$ ,  $C_{P'}$ , and  $C_{T'}$ . (c) Leave the PEH in the open circuit and let  $I_P$  only charge  $C_P$ . (d) Short  $C_P$  and  $C_{P'}$  through an inductor until their voltages merge. (e) Transfer the energy in the inductor into the smaller capacitor. (f) Short  $C_T$  and  $C_{T'}$  to get  $V_{MPP}$ . (g) Waveforms showing the voltages for important nodes.

has a “dead time” when  $V_P$  is larger than  $2V_{MPP}$  and all the current will flow through  $R_P$  instead of the FBR (gray solid region). More importantly, in order to achieve the peak output power, SSHI circuits must set the value of  $V_{OUT}$  wisely since it defines the amplitude of  $V_P$ , which further determines the output power. In practical applications, it is hard to predict  $V_{P-OC}$  and set the correct  $V_{OUT}$  before the vibration happens. Also, the system output must be stable, not changing with the vibration’s amplitude, and an additional voltage converter will be needed, which further decreases the total power efficiency.

These limitations were partly addressed by some recent energy extraction techniques, such as SECE [14], which builds  $V_P$  by the input current  $I_P$  and harvests only at the peak value. However, these techniques lack the advantages of using a higher voltage at  $V_P$ , so the overall power efficiency is less than the BF-based technique.

### III. FUNDAMENTALS OF SENSE-AND-SET TECHNIQUE

To achieve MPPT for PEHs,  $V_P$  needs to be equal to  $V_{MPP}$ , whose waveform and amplitude vary with the vibration.

Hence, there are two main challenges to dynamically adapt  $V_P$  to  $V_{MPP}$ .

- 1) Determining the Value of  $V_{MPP}$ : It is not possible to directly observe  $V_{MPP}$  due to the large intrinsic  $C_P$ . Neither can we measure  $R_P$  in the circuit (and multiply it by  $I_P$  to get  $V_{MPP}$ ) since it is not in the real electrical domain but derived from the electromechanical model.
- 2) Maintaining  $V_P$  Equal to  $V_{MPP}$ : If we determine  $V_{MPP}$  and  $V_P$  is adapted to the  $V_{MPP}$  level, its value will change with the oscillation. Since  $C_P$  is large, keeping  $V_P$  at/near  $V_{MPP}$  requires a large energy transfer to charge or discharge  $C_P$ , which results in the significant power loss.

Our proposed SaS technique addresses these two challenges by adiabatically estimating the value of  $V_{MPP}$  (the “sense” operation) and then adiabatically adjusting  $V_P$  to it (the “set” operation). The operation of SaS will be introduced in the following paragraphs.



### A. Sense Phase

As previously discussed in Section II-A, a PEH's open-circuit voltage  $V_{P-OC}$  is far less than  $V_{MPP}$ . The difference comes from the current that flows through  $C_P$ , and, hence, we can recover  $V_{MPP}$  by taking this current into account. Assuming the PEH is left in the open-circuit state, then

$$I_P = I_R + I_C \quad (11)$$

where  $I_R$  and  $I_C$  are the current flowing through  $R_P$  and  $C_P$ , respectively.  $I_R$  can be derived by  $V_P/R_P$ , in which  $R_P$  is an unknown but fixed value for a given PEH. To measure  $I_C$ , we can wait for a short-time period  $\Delta t$  and measure the voltage accumulation  $\Delta V$  on a capacitor  $C_P$ .  $I_C$  is approximately constant during  $\Delta t$ , and its value is given by

$$I_P = \frac{V_P}{R_P} + \frac{C_P \Delta V}{\Delta t}. \quad (12)$$

Then,  $V_{MPP}$  can be recovered by

$$V_{MPP} = \frac{1}{2} I_P R_P = \frac{1}{2} \left( V_P + \frac{R_P C_P}{\Delta t} \Delta V \right). \quad (13)$$

Since  $R_P$ ,  $C_P$ , and  $\Delta t$  are constant, we can "sense"  $V_{MPP}$  no matter what the current  $V_P$  is by measuring  $\Delta V$ .

However, since we want to keep  $\Delta t$  relatively short (for the approximation that  $I_C$  is constant), the resulting  $\Delta V$  is usually in the sub-mV range. In order to operate with such a small signal, it is necessary to design delicate amplification and offset-cancelling circuits, which induce large power overhead. Fortunately, the energy difference from  $\Delta V$  on the capacitor  $C_P$  is not small due to the large value of  $C_P$ . In SaS, we use an inductor-based amplification where we transfer the energy difference into a smaller capacitor to generate higher voltage (tens of mV). Then, a serial-to-parallel switched capacitor array is used to further convert it to higher voltage (hundreds of mV).

Fig. 3(a) shows the SaS circuit schematic, which consists of multiple switches, capacitors, and a shared inductor. It can be reconfigured to different sub-circuits during the sense phase, as shown in Fig. 3(b)–(f); the red curve shows the direction of current flow. Initially,  $C_P$ ,  $C_{P'}$ , and  $C_{T'}$  are at the same potential as they are all connected and charged by the PEH [Fig. 3(b)]. When the sense phase begins, the PEH is left in the open-circuit mode for the time  $\Delta t$ , and a voltage difference  $\Delta V$  develops between  $C_P$  and  $C_{P'}$  [Fig. 3(c)]. Since  $C_P$  and  $C_{P'}$  have relatively large capacitances, their energy difference is large, and we can use this for the charge-based amplification. In Fig. 3(d), we first short  $C_P$  and  $C_{P'}$  through the inductor  $L$  to equalize their voltages, energizing  $L$  by

$$\begin{aligned} E_L &= \frac{1}{2} \left[ C_P V_P^2 + C_P (V_P + \Delta V)^2 - 2C_P \left( V_P + \frac{\Delta V}{2} \right)^2 \right] \\ &= \frac{1}{4} C_P \Delta V^2. \end{aligned} \quad (14)$$

$E_L$  is then transferred into a much smaller capacitor  $C_T$  in Fig. 3(e) to get a higher voltage  $V_T$

$$V_T = \sqrt{\frac{2E_L}{C_T}} = \sqrt{\frac{C_P}{2C_T}} \Delta V. \quad (15)$$

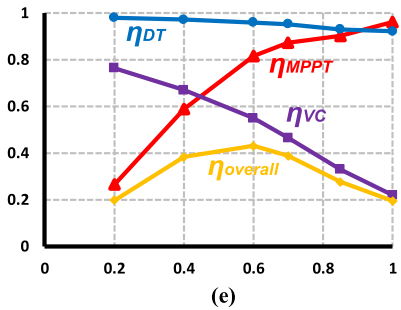
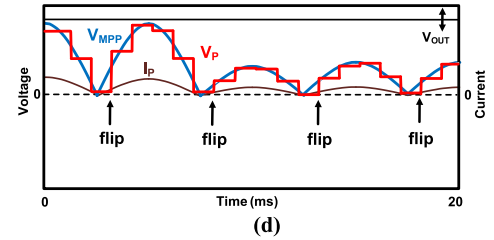
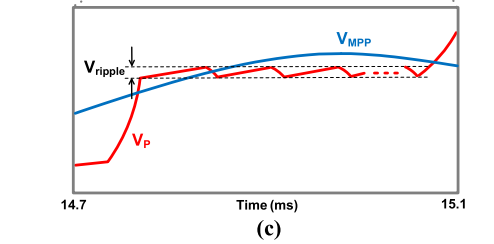
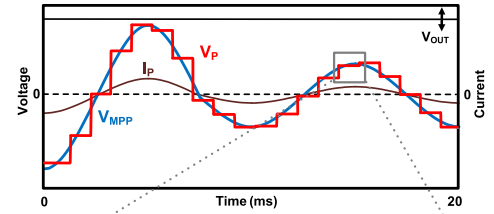
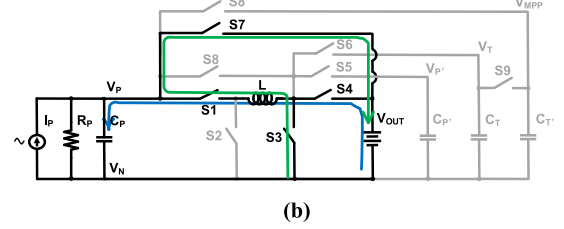
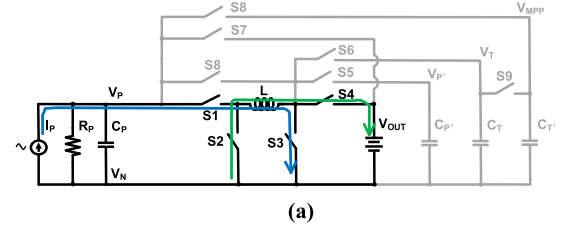


Fig. 4. SaS rectifier in the set phase. (a) Down-convert operation. (b) Up-convert operation. (c) SaS waveform (without voltage flip) and its zoomed-in view region. (d) SaS waveform with voltage flip. (e) SaS efficiency with different MPPT ratios.

By replacing the  $\Delta V$  term in (13) with  $V_T$ , we rewrite the  $V_{MPP}$  expression as follows:

$$V_{MPP} = \frac{1}{2} I_P R_P = \frac{1}{2} \left( V_P + V_T \frac{\sqrt{2C_T C_P R_P^2}}{\Delta t} \right). \quad (16)$$

If the constant  $\sqrt{2C_T C_P R_P^2 / \Delta t}$  is tuned to be 1, then  $V_{MPP}$  is the average of  $V_P$  and  $V_T$ . Thus, in Fig. 3(f), we short  $C_T$  and  $C_T'$  to generate  $V_{MPP}$  and we can set  $V_P$  to this value for the MPPT operation.

### B. Set Phase

The SaS circuit “sets”  $V_P$  to  $V_{MPP}$  after obtaining its value during the sense phase. This is performed by configuring the SaS circuit into an inductor-based up-down converter, as shown in Fig. 4(a) and (b). Converting the voltage up and down are adiabatic processes; the blue path shows the charging or discharging current that energizes  $L$ , and the green path shows the energy recycle back to the battery.

After converting  $V_P$  to  $V_{MPP}$ , the SaS maintains  $V_P$  around this value by disconnecting itself from the PEH, as shown in Fig. 4(c). Then,  $I_P$  gradually charges  $C_P$ , causing  $V_P$  to rise, and when  $V_P$  exceeds the preset threshold, SaS harvests from  $C_P$  by down-converting its voltage back to  $V_{MPP}$  to maintain MPPT. The harvested energy is then transferred to the load (battery), and  $V_{OUT}$  can be arbitrarily set regardless of the input amplitude.

The set phase lasts until  $V_{MPP}$  drifts away after a time period, and the SaS ceases energy harvesting and enters the sense phase again. The new sense phase happens at the old  $V_{MPP}$  value, and error correction is performed to get the new  $V_{MPP}$ . Then, SaS converts  $V_P$  to the new  $V_{MPP}$  and begins another round of harvesting. By re-sensing repeatedly at a higher frequency than the vibration, the SaS technique achieves energy harvesting that tracks  $V_{MPP}$  dynamically, as shown in Fig. 4(c). Also, when the current crosses zero and changes its direction, there is a voltage flipping operation so that  $V_P$  remains positive, as will be further explained in Section III-C.

Since SaS always performs energy harvesting near the maximum power point, its power efficiency can approach 100% except for the loss caused by circuit non-ideality, which is given by

$$\frac{P_{SaS}}{P_{max}} = \eta_{MPPT} \eta_{DT} \eta_{VC}. \quad (17)$$

In (17),  $\eta_{MPPT}$  is the MPPT tracking error for  $V_P$  not perfectly following  $V_{MPP}$ , and  $\eta_{MPPT}$  characterizes the dead-time loss since SaS does not harvest energy during the sense phase. There is a tradeoff between  $\eta_{MPPT}$  and  $\eta_{DT}$  when choosing the SaS frequency. More frequent SaS operations increase the  $V_{MPP}$  tracking precision and, thus, improve  $\eta_{MPPT}$ , but degrade  $\eta_{DT}$  because the circuit spends more time overall in determining  $V_{MPP}$ .

With the optimal frequency, the efficiency of  $\eta_{MPPT} \eta_{DT}$  is usually around 85% or higher. However, the voltage conversion loss due to the switching and conduction activities usually dominates the total efficiency number. Although the inductor-based voltage converter has a high efficiency itself, it transfers the energy in  $C_P (\propto C_P V_P^2)$  which is several times larger than the energy generated by the PEH in each cycle ( $\propto V_P^2 / R_P$ ). Hence, the energy loss in the voltage conversion is amplified by this ratio, resulting in a low  $\eta_{VC}$ .

Fig. 4(e) shows the post-peh simulation result for (17). The  $x$ -axis is the proportion of  $V_P / V_{MPP}$  and the  $y$ -axis is the overall efficiency of the system. We know from Section II-A that the efficiency should be optimized when  $V_P / V_{MPP} = 1$  in the ideal condition. However, larger  $V_P / V_{MPP}$  ratio results in larger amount of energy transfer, which significantly reduce  $\eta_{VC}$  as well as the overall efficiency. Hence, the system efficiency peaks at smaller  $V_P / V_{MPP}$  which means we track  $V_{MPP}$  at a proportion of its exact value. In such cases, the overall efficiency is around 42%, mainly due to the low conversion efficiency. To further increase the overall efficiency, we could probably use low-series-resistance (LSR) inductor or other converter topologies to reduce the conversion loss.

### C. Flipping Phase

The advantages of SaS come from its dynamic adjustment of  $V_P$  according to the vibration waveform. However, this restricts the use of conventional rectifiers that handle negative voltages. To address this problem, we implemented a flipping phase which is a special case of the set phase. When the  $V_{MPP}$  generated in the sense phase is negative, it indicates that  $I_P$  has changed direction and  $V_{MPP}$  entered its negative half-cycle.  $V_P$  is then converted to this negative  $V_{MPP}$  as usual in the set phase but followed by a flipping operation, where the connections to the two PEH terminals are swapped. As a result,  $V_P$  is flipped to the positive value and future  $V_{MPP}$  will stay positive until the next flipping happens.

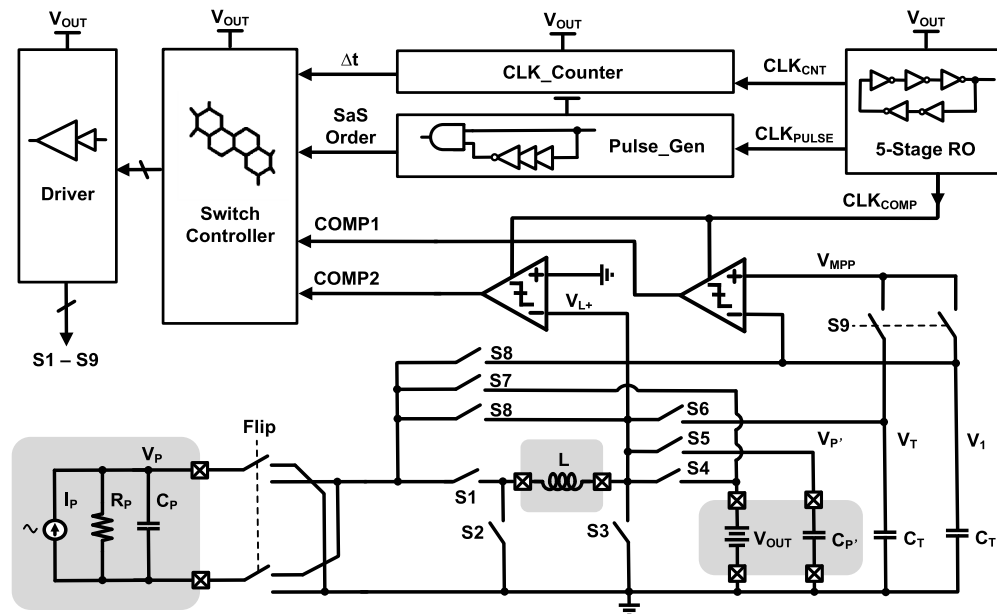
The flipping phase happens twice for each vibration cycle, and it ensures that  $V_P$  remains positive without the use of rectifiers, as shown in Fig. 4(d). Some energy loss may be incurred in the flipping operation; however, since the  $V_P$  values at the time of flipping is near zero, the loss is typically negligible.

### D. Calibration Phase

As previously mentioned in (16), it is necessary to tune the constant  $\sqrt{2C_T C_P R_P^2 / \Delta t}$  to be 1 so that  $V_{MPP}$  can be obtained by averaging  $V_P$  and  $V_T$ . Unlike  $C_P$  and  $C_T$ , the value of  $R_P$  is difficult to measure or control, and it varies among different PEHs. Moreover, there may be mismatches on  $V_T$  due to circuit non-idealities, resulting in inaccurate  $V_{MPP}$  estimates. To compensate for this, the SaS circuit performs self-calibration by adjusting the sense phase time  $\Delta t$  automatically without knowing the values of these parameters.

The calibration process is very similar to the sense phase in terms of obtaining  $V_{MPP}$ . But instead of entering the set phase, SaS converts  $V_P$  to  $2V_{MPP}$  and performs another sense operation at this voltage. If the voltage  $V_T$  appears to be negative (which means  $V_P$  was over-estimated in the previous sense phase due to a  $V_T$  constant larger than 1), SaS decreases  $\Delta t$  to get a lower  $V_T$  and compensate for the larger constant. The process is repeated, and  $\Delta t$  is adjusted in a digit-step manner until there is a positive  $V_T$ , which indicates over-tuning.

The calibration phase only needs to be performed once when SaS is connected to a new PEH. Once the right  $\Delta t$  value is



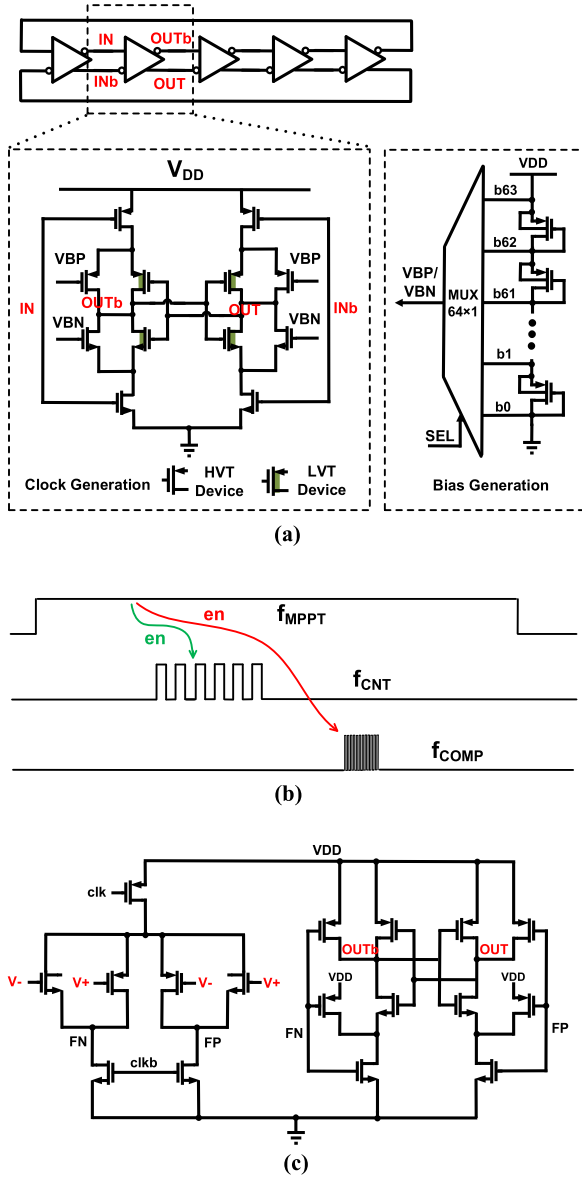


Fig. 6. (a) Circuit schematic of the five-stage RO and its biasing circuit. (b)  $f_{CNT}$  and  $f_{COMP}$  that run at higher frequency are awoken by  $f_{MPPT}$  at a specific time. (c) Schematic of two-stage comparator.

Among the three clocks,  $f_{MPPT}$  needs to be always-on in order to track  $V_{MPP}$  in real time. It will result in large power overhead if we run the oscillator at 10 MHz and divide it to generate  $f_{MPPT}$ . Instead, we implemented three separate ROs in SaS, and the fast ROs ( $f_{CNT}$  and  $f_{COMP}$ ) are only awoken when their controlled blocks are used. Fig. 6(b) shows the duty-cycled clocks for the counter and comparators.

### C. Pulse Generation and Clock Counter

The sequential SaS operation is hard-coded in the SaS, and its order is determined by the pulse generation circuit. The circuit takes  $f_{MPPT}$  as input, propagating its rising edge through multiple delay stages, and generates pulses that activate different switches in SaS. The delay cells are similar to what is used in clock generation, with specific bias voltage to control its delay and the pulse width.

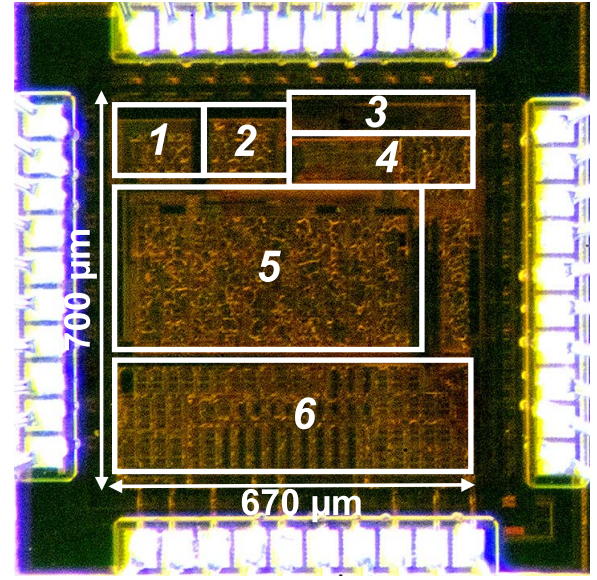


Fig. 7. Micrograph of the test chip fabricated in the 180-nm CMOS process. The active area of the circuit is 0.47 mm<sup>2</sup>. (1) Bias voltage generator. (2) ROs. (3) Scan chain for tuning. (4) Clocked comparators. (5) Pulse generator. (6) Inductor sharing circuit.

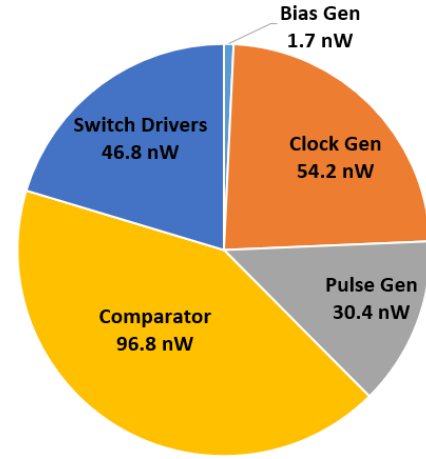


Fig. 8. Breakdown of power consumptions of SaS sub-circuit blocks under the normal operation. The total power (230 nW) is measured in a room temperature and the proportion numbers come from post-pex simulation.

Especially, the pulse width that defines  $\Delta t$  cannot be hard-coded as it needs to be adjustable during the calibration phase. Thus, we implemented a digital counter that counts  $f_{CNT}$  until it reaches a given number  $N$ . Then

$$\Delta t = \frac{N}{f_{CNT}} \quad (18)$$

where  $f_{CNT}$  determines the resolution of  $\Delta t$ , and  $N$  gives the range. The value of  $N$  is stored in another counter-like structure that is kept tuned during the calibration phase.

### D. Comparators

The SaS circuit performs voltage conversion when it changes  $V_P$ . The voltage conversion efficiency  $\eta_{VC}$ , which dominates the overall SaS efficiency as we discussed,



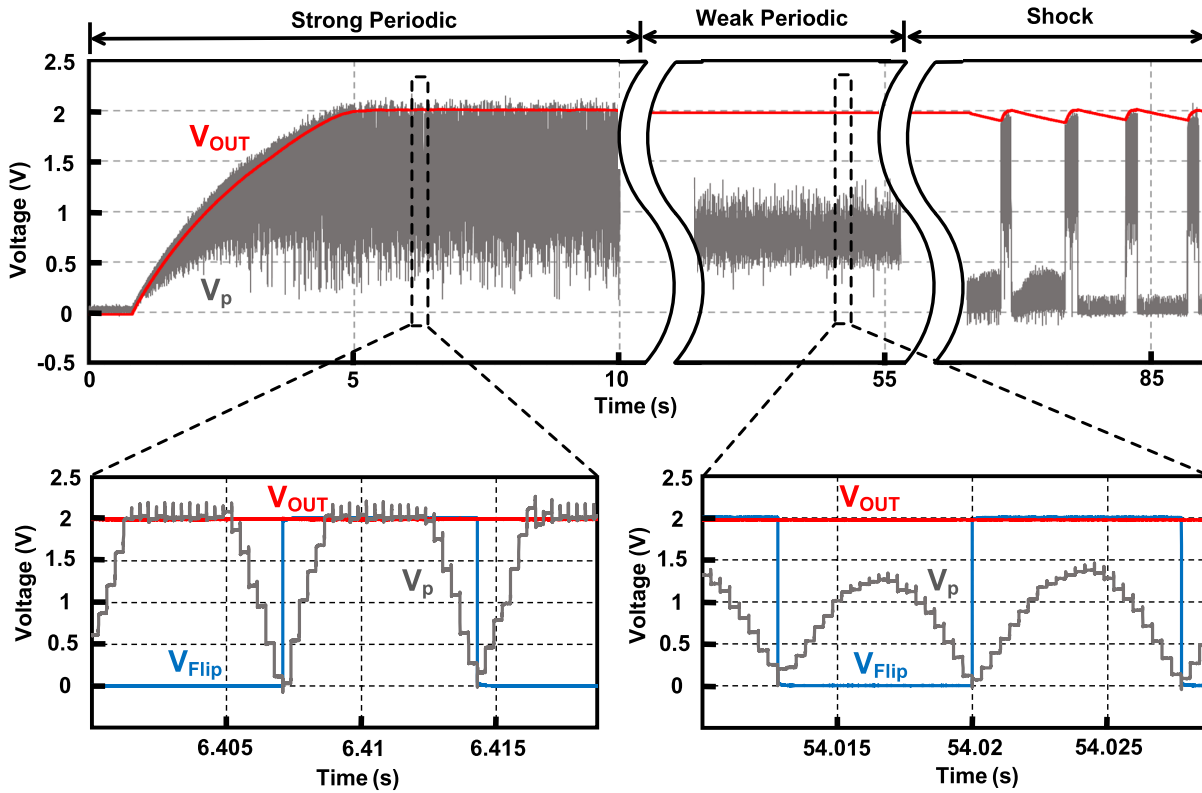


Fig. 9. Measured transient waveform of  $V_p$ ,  $V_{OUT}$ , and the  $V_{Flip}$  (flip control signal) under different vibrations in the long term (top) and its zoom-in view regions (bottom). Amplitude/frequency for strong and weak periodical vibrations are 2 g/85 Hz and 0.2 g/85 Hz, respectively. The shock vibration has an amplitude of 3 g, with a (rough) period of 1 s.

is affected by the timing error of the switches. To determine the correct timing signals for the switches, we implemented two comparators in SaS, as shown in Fig. 6(c). The first one compares  $V_p$  with the target voltage and produces turn-off signals when  $V_p$  has been converted to the target voltage. The second one performs cross-zero detection for the inductor  $L$ 's current by measuring its terminal voltage and helps with the energy recycling from  $L$ .

In order to control the switching activities for voltage conversion while maintaining high efficiency, the comparator clock signal  $f_{COMP}$  needs to be approximately 10 MHz to reduce timing error. We implemented  $f_{COMP}$  in a highly duty-cycled manner where only when a switching activity begins, the fastest oscillator is enabled and provides clocks to the comparator. Since the switching time is only a small portion of the total SaS time, both the comparator and the corresponding oscillator will be idle for most of the time. By this technique, we reduced the power consumption of timing control from 14.5  $\mu$ W to 151 nW, as shown in Section V.

#### E. Switch Controller and Switch Drivers

The sequential signals generated by the pulse generator, clock counter, and comparators need to be mapped into the final control signals that apply to S1–S9. Thus, a look-up table is implemented, and the switch control signals are buffered to drive some of the large switches in SaS. The power supply for the switch controller as well as other circuit blocks comes from  $V_{OUT}$ , which is the harvested energy. But for testing

purpose, we use separate 2-V supply so that we can quantify the power consumption by the SaS circuit. To extend the output voltage and the operation range of SaS, the switches can be implemented with high-voltage transistors, and a level converter may be inserted between it and the controller circuit.

#### V. MEASUREMENT RESULTS AND ANALYSIS

The proposed SaS circuit [17] is designed and fabricated in the 180-nm CMOS process with a core area of 0.47 mm<sup>2</sup>, as shown in Fig. 7. The measured leakage and active power in the room temperature for SaS are 7 and 230 nW, respectively, and Fig. 8 shows the power proportion of each circuit block when SaS is in operation. In addition, 91% of the clock generation power and 88% of the comparator power are related to the high-frequency operations ( $f_{COMP}$ ), while the latter only takes about 1% of the total operation time. The fabricated chip was tested with a commercially available piezoelectrical transducer, PPA-1022 from Mide Technology, Woburn, MA, USA. The transducer was clamped on the PPA-9001 kit (position 0 with 11.2-g tip mass) and mounted on a shaker table (Sentek Dynamic IA20N) as the vibration source. The transducer is excited with a 85-Hz sinusoidal signal (OFF-resonance), a 53-Hz sinusoidal signal (ON-resonance), as well as pulse/chock signals.

Fig. 9 shows the SaS start-up and harvesting waveforms with 85-Hz periodic and shock vibrations. Given an initial vibration to the PEH, the SaS circuit harvests energy from it and gradually builds up  $V_{OUT}$  and  $V_p$  amplitude until they

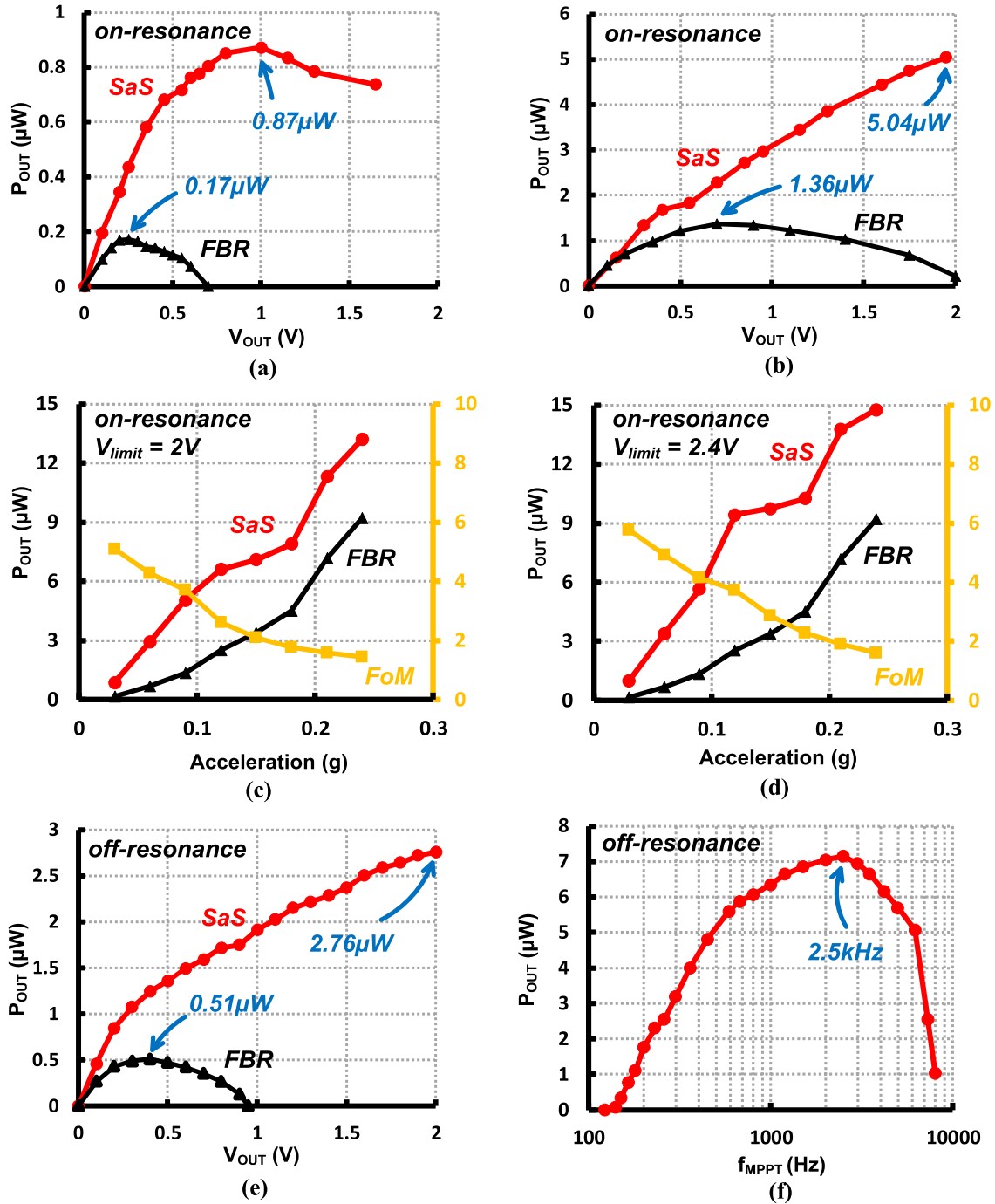


Fig. 10. Measured output power of SaS and ideal FBR for (a) different  $V_{OUT}$  values with 0.03 g/53 Hz vibration, (b) different  $V_{OUT}$  values with 0.09 g/53 Hz vibration, (c) different vibration strengths with  $V_{limit} = 2$  V, (d) different vibration strengths with  $V_{limit} = 2.4$  V, (e) different  $V_{OUT}$  values with 0.5 g/85 Hz vibration, and (f) different  $f_{MPPT}$  values and different input vibration strengths.

reach 2 V, the voltage limit for this CMOS process. Since the  $V_{MPP}$  value for the strong vibration may exceed 2 V,  $V_P$  stops tracking it but maintaining at 2 V to approach  $V_{MPP}$ , and SaS performs partial MPPT for energy harvesting (left bottom in Fig. 9). This limitation can be removed by implementing the inductor sharing circuit in high-voltage process so that higher  $V_{OUT}$  can be expected. When the input vibration is relatively weak (right bottom in Fig. 9),  $V_P$  tracks  $V_{MPP}$  for its whole period, and optimized energy extraction from the PEH is achieved. If the vibration is of pulse type, which is

common in practical applications,  $V_P$  still tracks the input and performs MPPT for the activation period and remains static for the intermittent time. In addition,  $V_{OUT}$  is kept at the same value with different vibration strengths and types, which decouples the output node from the input and makes SaS self-adaptable to various vibration sources.

We measured the electrical output power of the PEH using an SaS circuit and compared it with that obtained using an ideal FBR, which we implemented off-chip with active diodes (MAX40200 with  $<10$ -mV voltage drop). Fig. 10(a) and (b)

TABLE II  
PERFORMANCE COMPARISON WITH THE STATE-OF-THE-ART INTERFACE CIRCUITS

Publication	Process	Technique	PEH Type	$C_p$	Frequency	Input Type	$V_{P-OC}$	FoM (periodic)	$\frac{FoM}{Q_{PEH*}}$	FOM (shock)	Input/output decoupling
JSSC 2010 [7]	0.35 $\mu$ m	SSHI	MIDE V22B	9nF	225Hz	Periodic	2.4V	4×	0.168	N/A	No
JSSC 2016 [8]	0.35 $\mu$ m	SSHI	MIDE V21/22B	9.6 - 27nF	134.6-229.6Hz	Periodic & Shock	0.8V	6.81×	0.286	2.69×	No
CAS 2017 [10]	0.25 $\mu$ m	SSHI	MIDE V22B	19nF	144Hz	Periodic	4.9V	2.07×	0.087	N/A	No
ISSCC 2018 [11]	0.18 $\mu$ m	SSHC	Custom MEMS	1.94nF	219Hz	Periodic	2.5V	3.58 - 8.21×	Unknown	N/A	No
JSSC 2017 [12]	0.18 $\mu$ m	SSHC	PSI-5A4E (5mm <sup>3</sup> )	78.4pF	110kHz	Periodic	2V	4.83×	Unknown	N/A	No
JSSC 2017 [13]	0.35 $\mu$ m	SSHC	MIDE V21BL	45nF	92Hz	Periodic	2.5V	2.7-9.7×	0.057-0.206	N/A	No
ISSCC'18 [14]	40nm	SECE	MIDE PPA-1011	43nF	75.4 Hz	Periodic & Shock	2.85V	3.14×	0.132	4.20×	No
[15]	0.35 $\mu$ m	Energy pileup	Unknown	220nF	100Hz	Periodic	1.3V	4.22×	Unknown	N/A	No
This Work	0.18 $\mu$ m	SaS	MIDE PPA-1022	8nF	53Hz	Periodic & Shock	2.13V	5.12×	0.299	4.59×	Yes
					85Hz		0.95V	5.41×	0.316		

\*The value of  $Q_{PEH}$  is measured for this work to be 17.12, and the value for other works are estimated from the product datasheet. For example, from the datasheet of Mide V22B we know its capacitance  $C_P=9$ nF and the serial resistor  $R_M=2.4$ k $\Omega$  at  $f=100$ Hz. Using a common  $\Gamma$  value of 42, we calculated the quality factor of this device to be 23.8.

shows the measured output power versus different  $V_{OUT}$  values at the PEH resonant frequency. For low vibration strengths such as in Fig. 10(a), the FBR power is limited by its low  $V_P$ , while the SaS circuit can convert  $V_P$  to higher values and track  $V_{MPP}$ . Therefore, SaS achieves 4–5 times higher efficiency than the FBR [which means the figure of merit (FoM) is around 4–5]. For relatively stronger vibrations such as Fig. 10(b), the resulting open-circuit voltage is higher and FBR achieves better power efficiency. In such cases,  $V_{MPP}$  amplitude may be larger than 2 V, and SaS can only convert  $V_P$  to 2 V to approach  $V_{MPP}$ . As a result, the SaS achieves less efficiency gain over the FBR due to its voltage limitation.

Fig. 10(c) shows the relationship of the output power of SaS and FBR over different vibration strengths. Given the mentioned process voltage limit (2 V), the stronger the input vibration is, the lesser the efficiency gain can be achieved by SaS because  $V_P$  will be more limited. Hence, the current version of SaS is suitable for low-amplitude-vibration applications, such as harvesting energy from wind-induced vibration of a window or the oscillation of a bridge under traffic. However, this disadvantage can be addressed by increasing the voltage limit by changing the technology or transistor type. In Fig. 10(d), we show that by temporarily increasing  $V_{limit}$  to 2.4 V, the SaS achieves better FoM in all testing cases, especially for stronger vibration conditions. Further increase in  $V_{limit}$  can be done by implementing the voltage comparator

and power switches in high-voltage process, and in such case, the SaS circuit could gain high FoM for wider input power range.

We also measured the output power and the corresponding FoM for OFF-resonance vibrations, as shown in Fig. 10(e). The behavior of SaS stays similar except for the lower power level at the same vibration strength. Another factor that influences the SaS output power is  $f_{MPPT}$ , which determines how frequently SaS adapts  $V_P$  to  $V_{MPP}$ . A low  $f_{MPPT}$  results in a large tracking error and low  $\eta_{MPPT}$ , as shown in Fig. 10(f), but if SaS adapts  $V_P$  too frequently, its dead time will become evident, and  $\eta_{DT}$  is degraded. For the input vibration with 85-Hz frequency, SaS produces its maximum power with  $f_{MPPT}$  being 2.5 kHz, which is about 30 times faster than the vibration. Generally, the optimal value of  $f_{MPPT}$  will be between 20 and 35 times the vibration frequency according to the measurement results.

Table II shows the comparison of the proposed SaS circuit with prior state-of-the-art works on PEH. The first three columns show basic information about the circuits, and the next two columns summarize the specifications of the tested PEHs. The next three columns show the vibration frequency, input type, and amplitude, in which the PEHs were tested. The output power of each PEH is measured using energy extraction techniques and normalized with their FBR counterpart, which gives each circuit's FoM.

Among different techniques, SaS achieves a high FoM for the ON-resonance ( $5.12\times$ ) and OFF-resonance ( $5.41\times$ ) input vibrations, as well as shock vibrations ( $4.59\times$ ) and weak vibrations ( $5.56\times$ ). Furthermore, from (8), we know that

$$\frac{P_{\max\text{-FBR}}}{P_{\max}} = \frac{2}{\pi Q_{\text{PEH}}} \propto \frac{1}{Q_{\text{PEH}}} \quad (19)$$

which means the FoM number is heavily related to the PEH parameters and does not solely reflect the improvements from the circuit techniques. Hence, we propose to normalize the FoM with  $1/Q_{\text{PEH}}$  so that it reflects the harvester's output power as a ratio of its theoretical maximum value. Although  $Q_{\text{PEH}}$  varies with device tuning and setups, we have found two ways to obtain its value during testing.

- 1) Excite the PEH at its resonant frequency and then plot the signal waveform which is used as the excitation input (same phase with  $I_P$ ) and the resulting PEH open-circuit voltage ( $V_P$ ). From the phase shift of these two waveforms, we can calculate the effective quality factor  $Q$  for the RC network of PEH.
- 2) If the above method is not available, we can observe  $Q_{\text{PEH}}$  by giving the PEH a shock vibration. In such case,  $V_P$  will be a damped sine wave, and according to the definition of quality factor,  $Q_{\text{PEH}}$  equals (to the first order) to the cycles that the sine wave decays to the 5% of its initial value.

For our PEH (Mide PPA-1022), the  $Q$  value is found to be 17.1 via the first method, and for prior papers, we estimate the  $Q_{\text{PEH}}$  with its product datasheet. Using this normalized FoM, SaS achieves the highest gain (0.299 and 0.316) among all other energy extraction techniques for ON-and-OFF resonance vibration inputs. This confirmed the simulation results shown in Section III, and to further improve this FoM, we could use LSR inductor or other high-efficiency converter topology in future designs. In addition, SaS is the only technique that eliminates the input-output coupling effect. If  $V_{\text{OUT}}$  is high enough, its value does not need to be changed according to the input amplitude to guarantee the optimal harvesting condition. This feature helps SaS maintain a stable output voltage under vibration or load changes, making it suitable for various applications.

## VI. CONCLUSION

This article presents a new energy extraction technique, SaS, for PEH. SaS performs MPPT by dynamically sensing and setting the optimal voltage ( $V_{\text{MPP}}$ ) for the PEH. It also adapts to various input vibrations and load changes while maintaining the peak output power. The SaS circuit was fabricated in the 180-nm CMOS process with a core area of  $0.47 \text{ mm}^2$  and a static power of 7 nW. Tested with a commercial PEH (PPA-1022), the SaS chip extracted  $5.41\times$  and  $4.59\times$  more power from a PEH compared with that obtained with an ideal FBR, and the normalized performance number is the highest among all prior works.

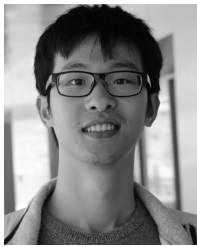
## ACKNOWLEDGMENT

The authors would like to thank R. Gordenker and Prof. K. Najafi for their support and contribution to this project, and Synopsys, Mountain View, CA, USA, for their design tools and support.

## REFERENCES

- [1] F. Dell'Anna *et al.*, "State-of-the-art power management circuits for piezoelectric energy harvesters," *IEEE Circuits Syst. Mag.*, vol. 18, no. 3, pp. 27–48, 3rd Quart., 2018.
- [2] I. Neri *et al.*, "A real vibration database for kinetic energy harvesting application," *J. Intell. Mater. Syst. Struct.*, vol. 23, no. 18, pp. 2095–2101, Dec. 2012.
- [3] P.-H. Hsieh, C.-H. Chen, and H.-C. Chen, "Improving the scavenged power of nonlinear piezoelectric energy harvesting interface at off-resonance by introducing switching delay," *IEEE Trans. Power Electron.*, vol. 30, no. 6, pp. 3142–3155, Jun. 2015.
- [4] Y. Cai and Y. Manoli, "A piezoelectric energy-harvesting interface circuit with fully autonomous conjugate impedance matching, 156% extended bandwidth, and 0.38  $\mu\text{W}$  power consumption," in *IEEE Int. Solid-State Circuits Conf. (ISSCC) Dig. Tech. Papers*, Feb. 2018, pp. 148–150.
- [5] L. Karthikeyan and B. Amrutur, "Signal-powered low-drop-diode equivalent circuit for full-wave bridge rectifier," *IEEE Trans. Power Electron.*, vol. 27, no. 10, pp. 4192–4201, Oct. 2012.
- [6] Y. Sun, N. H. Hieu, C. Jeong, and S. Lee, "An integrated high-performance active rectifier for piezoelectric vibration energy harvesting systems," *IEEE Trans. Power Electron.*, vol. 27, no. 2, pp. 623–627, Feb. 2012.
- [7] Y. K. Ramadass and A. P. Chandrakasan, "An efficient piezoelectric energy harvesting interface circuit using a bias-flip rectifier and shared inductor," *IEEE J. Solid-State Circuits*, vol. 45, no. 1, pp. 189–204, Jan. 2010.
- [8] D. A. Sanchez, J. Leicht, F. Hagedorn, E. Jodka, E. Fazel, and Y. Manoli, "A parallel-SSHI rectifier for piezoelectric energy harvesting of periodic and shock excitations," *IEEE J. Solid-State Circuits*, vol. 51, no. 12, pp. 2867–2879, Dec. 2016.
- [9] S. Du, Y. Jia, C. D. Do, and A. A. Seshia, "An efficient SSHI interface with increased input range for piezoelectric energy harvesting under variable conditions," *IEEE J. Solid-State Circuits*, vol. 51, no. 11, pp. 2729–2742, Nov. 2016.
- [10] L. Wu, X.-D. Do, S.-G. Lee, and D. S. Ha, "A self-powered and optimal SSHI circuit integrated with an active rectifier for piezoelectric energy harvesting," *IEEE Trans. Circuits Syst. I, Reg. Papers*, vol. 64, no. 3, pp. 537–549, Mar. 2017.
- [11] S. Du and A. A. Seshia, "A fully integrated split-electrode synchronized-switching-harvesting-on-capacitors (SE-SSHC) rectifier for piezoelectric energy harvesting with between 358% and 821% power-extraction enhancement," in *IEEE Int. Solid-State Circuits Conf. (ISSCC) Dig. Tech. Papers*, Feb. 2018, pp. 152–154.
- [12] Z. Chen, M.-K. Law, P.-I. Mak, W.-H. Ki, and R. P. Martins, "Fully integrated inductor-less flipping-capacitor rectifier for piezoelectric energy harvesting," *IEEE J. Solid-State Circuits*, vol. 52, no. 12, pp. 3168–3180, Dec. 2017.
- [13] S. Du and A. A. Seshia, "An inductorless bias-flip rectifier for piezoelectric energy harvesting," *IEEE J. Solid-State Circuits*, vol. 52, no. 10, pp. 2746–2757, Oct. 2017.
- [14] A. Quelen, A. Morel, P. Gasnier, R. Grezard, S. Monfray, and G. Pillonnet, "A 30 nA quiescent 8 nW-to-14 mW power-range shock-optimized SECE-based piezoelectric harvesting interface with 420% harvested-energy improvement," in *IEEE Int. Solid-State Circuits Conf. (ISSCC) Dig. Tech. Papers*, Feb. 2018, pp. 150–152.
- [15] Y.-S. Yuk *et al.*, "An energy pile-up resonance circuit extracting maximum 422% energy from piezoelectric material in a dual-source energy-harvesting interface," in *IEEE Int. Solid-State Circuits Conf. (ISSCC) Dig. Tech. Papers*, Feb. 2014, pp. 402–403.
- [16] I. Lee, D. Sylvester, and D. Blaauw, "A constant energy-per-cycle ring oscillator over a wide frequency range for wireless sensor nodes," *IEEE J. Solid-State Circuits*, vol. 51, no. 3, pp. 697–711, Mar. 2016.
- [17] Y. Peng *et al.*, "An adiabatic sense and set rectifier for improved maximum-power-point tracking in piezoelectric harvesting with 541% energy extraction gain," in *IEEE Int. Solid-State Circuits Conf. (ISSCC) Dig. Tech. Papers*, Feb. 2019, pp. 422–424.





**Yimai Peng** (S'16) received the B.Eng. degree in electrical and computer engineering from the Huazhong University of Science and Technology, Wuhan, China, in 2015, and the M.S. degree in electrical engineering from the University of Michigan, Ann Arbor, MI, USA, in 2017, where he is currently pursuing the Ph.D. degree in electrical engineering.

His research interests include energy harvesting circuit, power management, and low-power accelerometer designs.

Mr. Peng was a recipient of The Dwight F. Benton Fellowship at the University of Michigan.



**Kyojin D. Choo** (M'14) received the B.S. and M.S. degrees in electrical engineering from Seoul National University, Seoul, South Korea, in 2007 and 2009, respectively, and the Ph.D. degree from the University of Michigan, Ann Arbor, MI, USA, in 2018.

From 2009 to 2013, he was with Image Sensor Development Team, Samsung Electronics, Yongin, South Korea, where he designed signal readout chains for mobile/DSLR image sensors. During his Ph.D., he interned with Apple, Cupertino, CA, USA,

and consulted to Sony Electronics, San Jose, CA, USA. He is currently a Research Fellow with the University of Michigan. He holds 15 U.S. patents. His research interests include charge-domain circuits, sensor interfaces, energy converters, high-speed links/timing generators, and millimeter-scale integrated systems.



**Sechang Oh** (S'12–M'17) received the B.S. degree in electrical engineering from Seoul National University, Seoul, South Korea, in 2011, and the M.S. and Ph.D. degrees in electrical engineering from the University of Michigan, Ann Arbor, MI, USA, in 2014 and 2017, respectively.

He is currently a Research Fellow with the University of Michigan. His current research interests include low-power sensor nodes and the Internet of Things (IoT) sensor systems.

Dr. Oh was a recipient of the Jeongsong Fellowship.



**Inhee Lee** (S'07–M'14) received the B.S. and M.S. degrees in electrical and electronic engineering from Yonsei University, Seoul, South Korea, in 2006 and 2008, respectively, and the Ph.D. degree in electrical engineering from the University of Michigan, Ann Arbor, MI, USA, in 2014.

From 2015 to 2019, he was an Assistant Research Scientist with the University of Michigan. In 2019, he joined the University of Pittsburgh, Pittsburgh, PA, USA, as an Assistant Professor. His research interests include the adaptive circuit/system design, ultra-low-power management circuits, and energy-efficient sensor interface circuits. Also, he is developing millimeter-scale or even smaller sensing/computing systems for ecological, biomedical, energy exploration, and the Internet of Things applications.



**Taekwang Jang** (S'06) received the B.S. and M.S. degrees in electrical engineering from the Korea Advanced Institute of Science and Technology, Daejeon, South Korea, in 2006 and 2008, respectively, and the Ph.D. degree from the University of Michigan, Ann Arbor, MI, USA, in 2017. His Ph.D. dissertation titled "Circuit and System Designs for Millimeter-Scale IoT and Wireless Neural Recording."

From 2008 to 2013, he was with Samsung Electronics Company Ltd., Yongin, South Korea, focusing on the mixed-signal circuit design including analog and all-digital phase-locked loops for communication systems and mobile processors fabricated in the 20–45-nm CMOS process. He was a Post-Doctoral Research Fellow with the University of Michigan, for one year. He joined ETH Zürich, Zürich, Switzerland, in 2018, as an Assistant Professor, and is leading the Energy Efficient Circuits and IoT Systems Group. His research interests include ultra-low-power systems, bio-medical circuits, frequency synthesizers, and data converters.

Dr. Jang is currently the Chair of the IEEE Solid-State Circuits Society, Switzerland Chapter.



**Yejoong Kim** (S'08–M'15) received the bachelor's degree in electrical engineering from Yonsei University, Seoul, South Korea, in 2008, and the master's and Ph.D. degrees in electrical engineering from the University of Michigan, Ann Arbor, MI, USA, in 2012 and 2015, respectively.

He is currently a Research Fellow with the University of Michigan, and the Vice-President of Research and Development with CubeWorks, Inc., Ann Arbor. His research interests include subthreshold circuit designs, ultra-low-power SRAM, and the design of millimeter-scale computing systems and sensor platforms.



**Jongyup Lim** (S'17) received the B.S. degree in electrical and computer engineering from Seoul National University, Seoul, South Korea, in 2016, and the M.S. degree in electrical and computer engineering from the University of Michigan, Ann Arbor, MI, USA, in 2018, where he is currently pursuing the Ph.D. degree.

His current research interests include neural recording system, energy-efficient deep learning hardware, clock generation, and ultralow-power sensor node design.

Mr. Lim received the Doctoral Fellowship from the Kwanjeong Educational Foundation in Korea.



**David Blaauw** (M'94–SM'07–F'12) received the B.S. degree in physics and computer science from Duke University, Durham, NC, USA, in 1986, and the Ph.D. degree in computer science from the University of Illinois at Urbana–Champaign, Champaign, IL, USA, in 1991.

Until August 2001, he was with Motorola, Inc., Austin, TX, USA, where he was the Manager of the High Performance Design Technology Group. Since August 2001, he has been a Faculty Member with the University of Michigan, Ann Arbor, MI, USA, where he is the Kensall D. Wise Collegiate Professor of electrical engineering and computer science (EECS) and the Director of the Michigan Integrated Circuits Laboratory. He has authored over 600 articles, and holds 65 patents. He has extensive research in ultra-low-power computing using subthreshold computing and analog circuits for millimeter sensor systems which was selected by the MIT Technology Review as one of the year's most significant innovations. For high-end servers, his research group introduced so-called near-threshold computing, which has become a common concept in the semiconductor design. Most recently, he has pursued research in cognitive computing using analog, in-memory neural networks for edge devices and genomics acceleration.

Dr. Blaauw was a recipient of the 2016 SIA-SRC Faculty Award for lifetime research contributions to the U.S. Semiconductor Industry, the Motorola Innovation Award, and numerous best paper awards and nominations. He was the General Chair of the IEEE International Symposium on Low Power and the Technical Program Chair for the ACM/IEEE Design Automation Conference, and serves on the IEEE International Solid-State Circuits Conference's Technical Program Committee.



**Dennis Sylvester** (S'95–M'00–SM'04–F'11) received the Ph.D. degree in electrical engineering from the University of California at Berkeley (UC-Berkeley), Berkeley, CA, USA, in 1999.

He has held research staff positions at the Advanced Technology Group, Synopsys, Mountain View, CA, USA, and the Hewlett-Packard Laboratories, Palo Alto, CA, USA, and visiting professorships at the National University of Singapore, Singapore, and Nanyang Technological University, Singapore. He co-founded Ambiq Micro, Austin, TX, USA, a fabless semiconductor company developing ultra-low-power mixed-signal solutions for compact wireless devices. He is currently a Professor of electrical engineering and computer science with the University of Michigan, Ann Arbor, MI, USA, and was the Founding Director of the Michigan Integrated Circuits Laboratory (MICL), a group of ten faculty and more than 70 graduate students. He has authored over 500 articles along with one book and several book chapters. He holds 48 U.S. patents. His research interests include the design of millimeter-scale computing systems and energy efficient near-threshold computing.

Dr. Sylvester was a recipient of the NSF CAREER Award, the Beatrice Winner Award at ISSCC, the IBM Faculty Award, the SRC Inventor Recognition Award, and ten best paper awards and nominations. He was named one of the Top Contributing Authors at ISSCC, most prolific author at the IEEE Symposium on VLSI Circuits, and was awarded the University of Michigan Henry Russel Award for distinguished scholarship. His Ph.D. dissertation was recognized with the David J. Sakrison Memorial Prize as the most outstanding research in the Electrical Engineering and Computer Sciences (EECS) Department, UC-Berkeley. He serves on the Technical Program Committee of the IEEE International Solid-State Circuits Conference and on the Administrative Committee for the IEEE Solid-State Circuits Society. He serves/has served as an Associate Editor for the IEEE JOURNAL OF SOLID-STATE CIRCUITS, the IEEE TRANSACTIONS ON COMPUTER-AIDED DESIGN OF INTEGRATED CIRCUITS AND SYSTEMS (CAD), and the IEEE TRANSACTIONS ON VERY LARGE SCALE INTEGRATION (VLSI) SYSTEMS, and was an IEEE Solid-State Circuits Society Distinguished Lecturer.